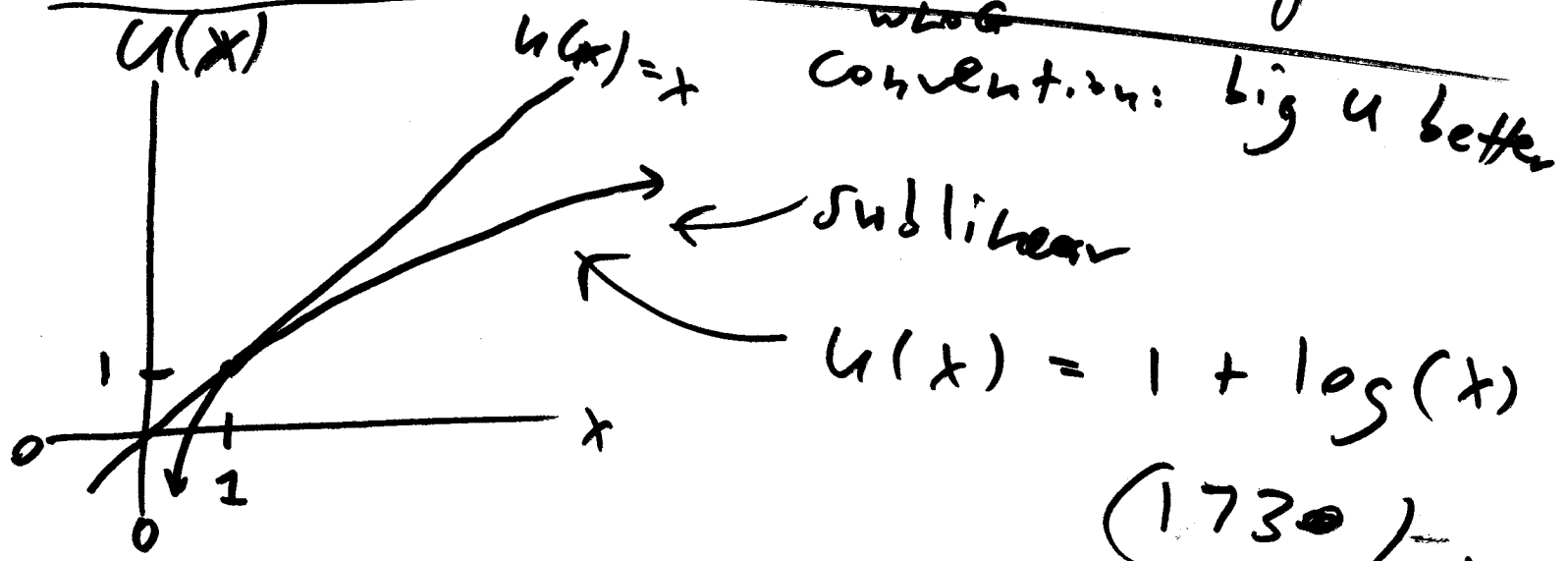


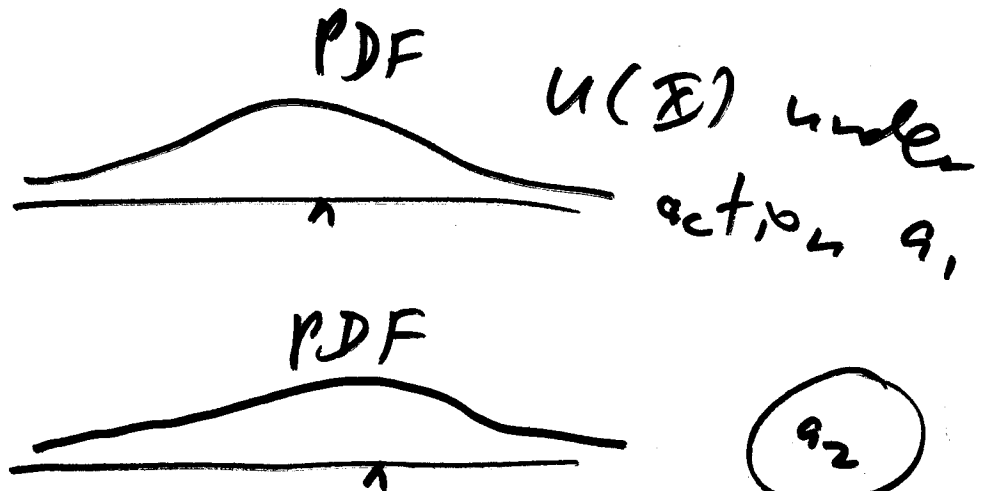
Discussion  
 Section  
 week of  
 26-30 May 20

SETS (student evaluation  
 of teaching): open now, closes ①  
 if (% completion)  $\geq 80\%$ ,  
 everybody gets ⊕ bump  
 STAT 131  
 26 May 20  
 7 Jun 20



(1730)  
 expected utility  
 find action that maximizes  $E(U(X))$   
 $\sim$  r.v.

Frank  
 Ramsey



92

criteria for  
good prediction

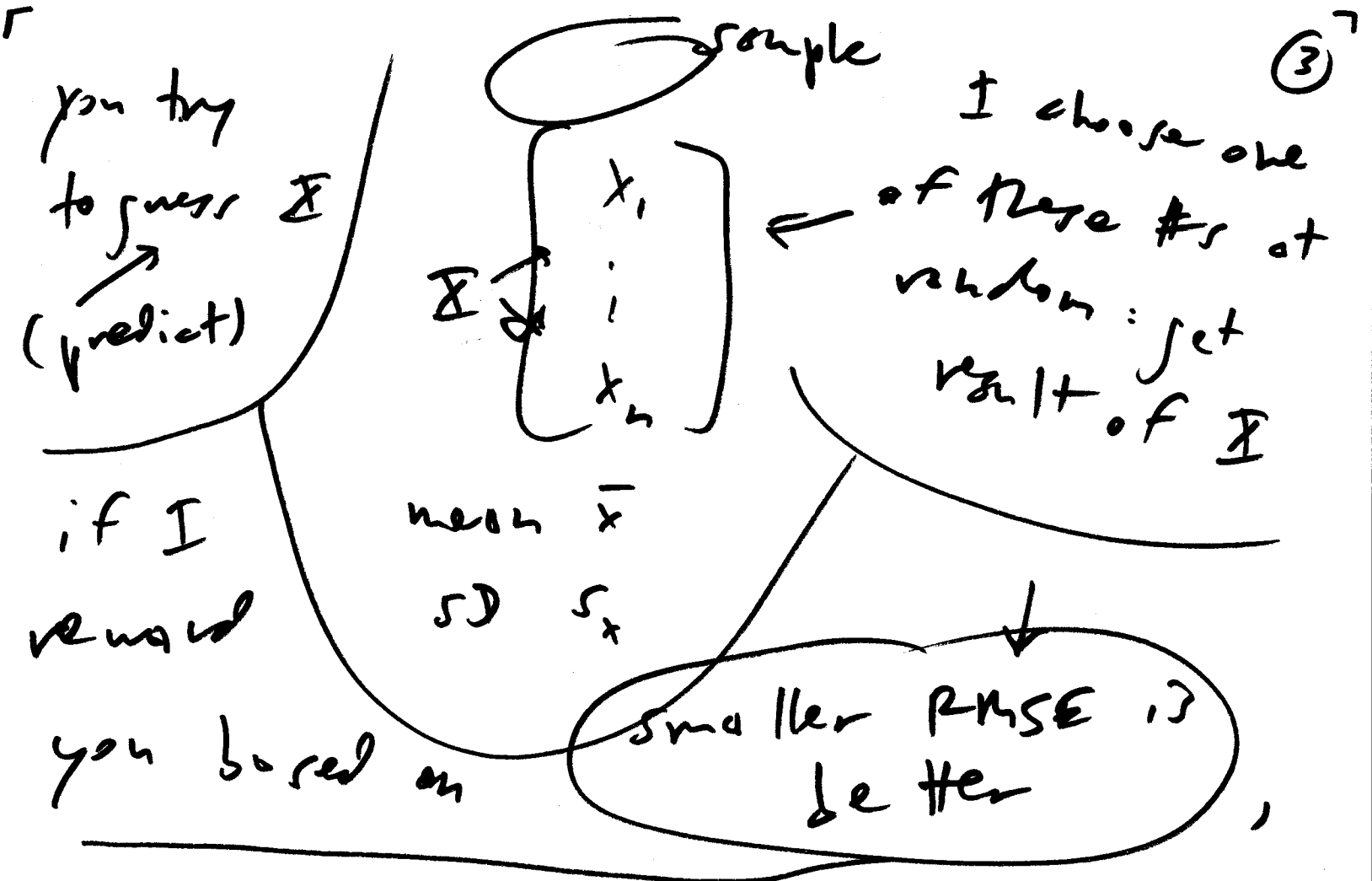
① choose  $\hat{x}$  to be  
unbiased:  $\hat{x} = \mu_x$   
 $= E(x)$

② choose  $\hat{x}$  to make our expected  
magnitude of prediction error small

$E |\hat{x} - x|$   
Laplace  
~~mean expected~~  
absolute  
error (MAE)  
(not used  
much)

or  $E (\hat{x} - x)^2$   
↑ Gauss  
mean squared error  
(MSE)  
downside to ↑ : many units

$\sqrt{E [(\hat{x} - x)^2]}$  = root  
(RMSE) mean squared error



what should you predict?  $\hat{x} = \bar{x}$

how big do you expect your prediction error to be?

$$RMSE(\hat{x}) = s_x$$